

Lecture 11: Authentication Protocols (cont'd)

CS 181S

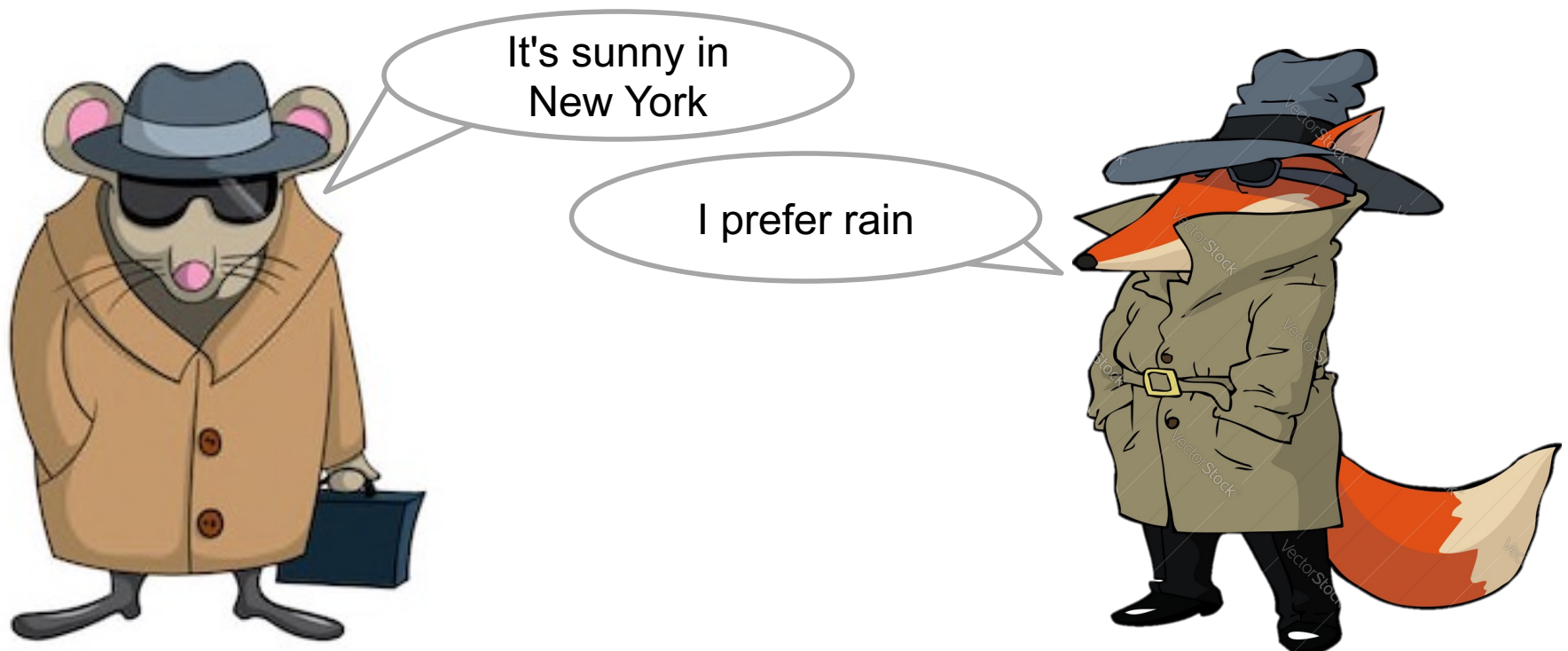
Spring 2024

Review: Authentication

- **Threat:** attacker who controls the network
 - Dolev-Yao model: attacker can read, modify, delete messages
- **Vulnerability:** communication channel between sender and receiver can be controlled by other principals
- **Harm:** attacker can pretend to be someone else (violating security goals)
- **Countermeasure:** authentication protocols

Review: Authentication Protocols

- An **authentication protocol** allows a principal receiving a message to verify the identity of the principal that sent that message



Secure Authentication Protocols

Multiple Keys

1. B→T: B, r
 - 1) T→B: A, r
 - 2) B→T: B, Enc(r; k_{BA})
2. T→B: A, Enc(r; k_{BA})



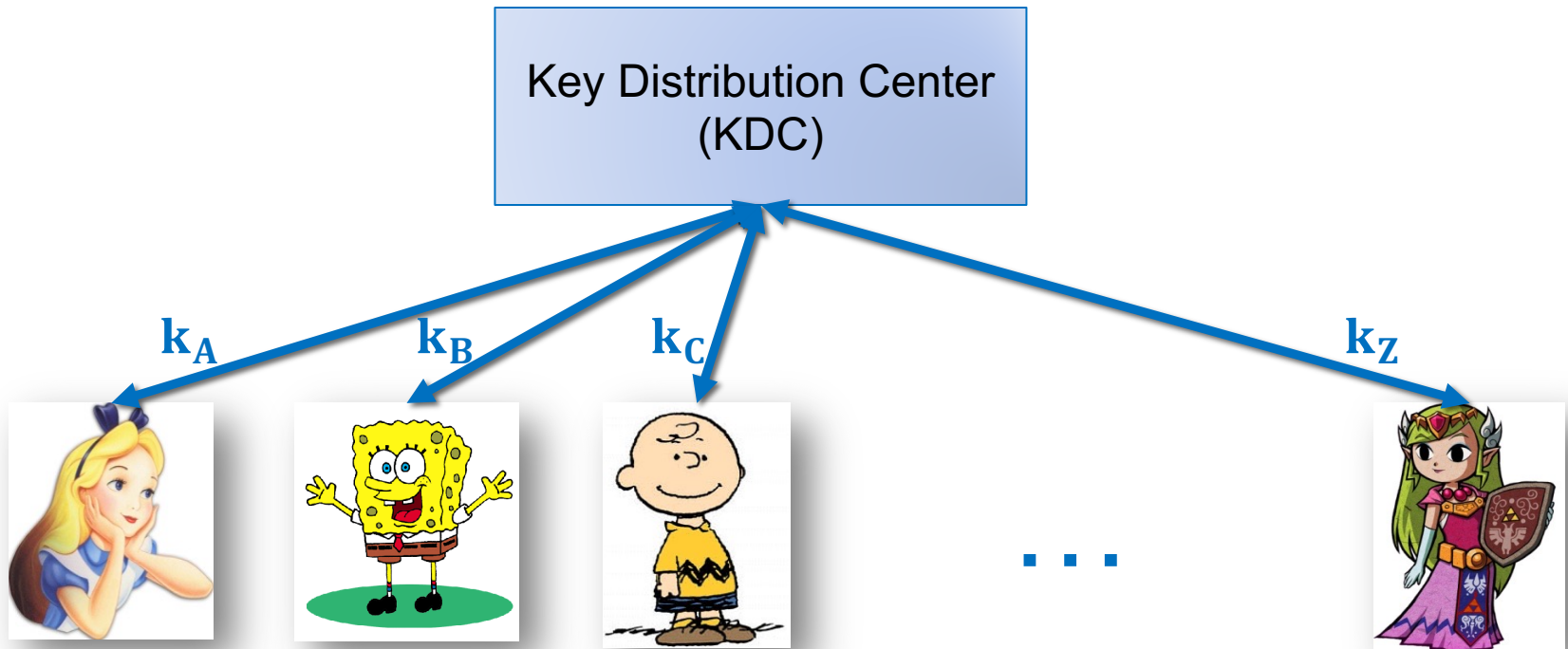
Included Identity

1. B→T: B, r
 - 1) T→B: A, r
 - 2) B→T: B, Enc(B, r; k)
2. T→B: A, Enc(B, r; k)



Assumptions

- ~~Assume Alice and Bob have a shared secret key k~~
- Assume that symmetric-key crypto works
- Assume there is a trusted **Key Distribution Center (KDC)** and that all principals have a shared key with the KDC



Goals

- Alice and Bob should acquire a shared key that they can use to securely communicate
- Alice should be convinced that she is talking to Bob
- Bob should be convinced that he is talking to Alice

Protocol 1

1. $A \rightarrow KDC: A, B$
2. $KDC \rightarrow A: A, B, \text{Enc}(k; k_A)$
3. $KDC \rightarrow B: A, B, \text{Enc}(k; k_B)$

Protocol 2

1. A \rightarrow KDC: A, B
2. KDC \rightarrow A: A, B, Enc(k; k_A), Enc(k; k_B)
3. A \rightarrow B: A, B, Enc(k; k_B)

Threat Model

- Dolev-Yao attacker
 - controls the network, can read, modify, create packets
- A **replay attack** occurs when an adversary repeats fragments of a previous protocol run
- ~~A **reflection attack** occurs when an adversary sends messages from an ongoing protocol back to the originator~~
- A **man-in-the-middle attack** occurs when an adversary secretly relays (and potentially changes) communications between two principals who believe they are communicating directly with each other

Exercise 1: Replay Attacks

Is this protocol vulnerable to a replay attack?

1. $A \rightarrow KDC: A, B$
2. $KDC \rightarrow A: A, B, Enc(k; k_A), Enc(k; k_B)$
3. $A \rightarrow B: A, B, Enc(k; k_B)$

Protocol 3

1. $A \rightarrow KDC: A, B, r$
2. $KDC \rightarrow A: A, B, \text{Enc}(k, r; k_A), \text{Enc}(k; k_B)$
3. $A \rightarrow B: A, B, \text{Enc}(k; k_B)$

Is this protocol vulnerable to a replay attack?

MITM Attack

1. A \rightarrow T: A, B, r

1) T \rightarrow KDC: A, T, r

2) KDC \rightarrow T: A, T, Enc(k, r; k_A), Enc(k; k_T)

1) T \rightarrow KDC: T, B, r

2) KDC \rightarrow T: T, B, Enc(k₂, r; k_T), Enc(k₂; k_B)

2. T \rightarrow A: A, B, Enc(k, r; k_A), Enc(k₂; k_B)

3. A \rightarrow B: A, B, Enc(k₂; k_B)

Protocol 5

1. A \rightarrow KDC: A, B, r
2. KDC \rightarrow A: A, B, Enc(k, r, Enc(k; k_B)); k_A)
3. A \rightarrow B: A, B, Enc(k; k_B)

Attack on Protocol 5

1. $T \rightarrow KDC: T, B, r$
2. $KDC \rightarrow T: T, B, Enc(k, r, Enc(k; k_B); k_T)$
3. $T \rightarrow B: A, B, Enc(k; k_B)$

Protocol 6

1. A \rightarrow KDC: A, B, r
2. KDC \rightarrow A: A, B, Enc(k, r, Enc(A, B, k; k_B)); k_A
3. A \rightarrow B: A, B, Enc(A, B, k; k_B)

Attack on Protocol 6

1. A \rightarrow T: A, B, r
 1. T \rightarrow KDC: A, T, r
 2. KDC \rightarrow T: A, T, $\text{Enc}(k, r, \text{Enc}(A, T, k; k_T); k_A)$
2. T \rightarrow A: A, B, $\text{Enc}(k, r, \text{Enc}(A, T, k; k_T); k_A)$
3. A \rightarrow T: A, B, $\text{Enc}(A, T, k; k_T)$

Protocol 7

1. A \rightarrow KDC: A, B, r
2. KDC \rightarrow A: Enc(A, B, k, r, Enc(A, B, k; k_B); k_A)
3. A \rightarrow B: A, B, Enc(A, B, k; k_B)

Protocol 8: Needham-Schroeder

1. A \rightarrow KDC: A, B, r
2. KDC \rightarrow A: Enc(A, B, k, r, Enc(A, B, k; k_B); k_A)
3. A \rightarrow B: A, B, Enc(A, B, k; k_B)
4. B \rightarrow A: A, B, Enc(r2; k)
5. A \rightarrow B: A, B, Enc(r2+1; k)

Exercise 2: MITM Attacks

Consider the following variant of Needham-Schroeder. Is this protocol vulnerable to a MITM attack?

1. $A \rightarrow KDC: A, B, r$
2. $KDC \rightarrow A: Enc(A, B, r; k_A), Enc(r, k; k_A)$
3. $KDC \rightarrow B: Enc(A, B, r; k_B), Enc(r, k; k_B)$
4. $B \rightarrow A: A, B, Enc(r^2; k)$
5. $A \rightarrow B: A, B, Enc(r^{2+1}; k)$

Exercise 2: MITM Attacks

Consider the following variant of Needham-Schroeder. Is this protocol vulnerable to a MITM attack?

Protocol 8: Needham-Schroeder

1. A \rightarrow KDC: A, B, r
2. KDC \rightarrow A: Enc(A, B, k, r, Enc(A, B, k; k_B); k_A)
3. A \rightarrow B: A, B, Enc(A, B, k; k_B)
4. B \rightarrow A: A, B, Enc(r2; k)
5. A \rightarrow B: A, B, Enc(r2+1; k)

Solution #1: More random numbers

1. A \rightarrow B: A, B
2. B \rightarrow A: A, B, r_3
3. A \rightarrow KDC: A, B, r , r_3
4. KDC \rightarrow A: $\text{Enc}(A, B, k, r, \text{Enc}(A, B, k, r_3; k_B); k_A)$
5. A \rightarrow B: A, B, $\text{Enc}(A, B, k, r_3; k_B)$
6. B \rightarrow A: A, B, $\text{Enc}(r_2; k)$
7. A \rightarrow B: A, B, $\text{Enc}(r_2+1; k)$

Solution #2: Timestamps

1. A \rightarrow KDC: A, B, r,
2. KDC \rightarrow A: Enc(A, B, k, r, Enc(A, B, k, t; k_B); k_A)
3. A \rightarrow B: A, B, Enc(A, B, k, t; k_B)
4. B \rightarrow A: A, B, Enc(r2; k)
5. A \rightarrow B: A, B, Enc(r2+1; k)

Solution #3: Otway-Rees

1. A \rightarrow B: $n, A, B, \text{Enc}(r1, n, A, B; k_A)$
2. B \rightarrow KDC: $n, A, B, \text{Enc}(r1, n, A, B; k_A),$
 $\text{Enc}(r2, n, A, B; k_B)$
3. KDC \rightarrow B: $n, \text{Enc}(r1, k; k_A),$
 $\text{Enc}(r2, k; k_B)$
4. B \rightarrow A: $n, \text{Enc}(r1, k; k_A)$

Type Attack

1. A \rightarrow B: n, A, B, Enc(r1, n, A, B; k_A)
2. B \rightarrow KDC: n, A, B, Enc(r1, n, A, B; k_A),
Enc(r2, n, A, B; k_B)
3. T \rightarrow B: n, Enc(r1, n, A, B; k_A),
Enc(r2, n, A, B; k_B)
4. B \rightarrow A: n, Enc(r1, n, A, B; k_A)

Exercise 3: Type Attacks

Consider the following variant of Otway-Rees

1. $A \rightarrow B: n, A, B, \text{Enc}(r1, n, A, B; k_A)$
2. $B \rightarrow KDC: n, A, B, \text{Enc}(r1, n, A, B; k_A),$
 $\text{Enc}(r2, n, A, B; k_B)$
3. $KDC \rightarrow B: n, \text{Enc}(r1+1, k; k_A),$
 $\text{Enc}(r2+1, k; k_B)$
4. $B \rightarrow A: n, \text{Enc}(r1+1, k; k_A)$

Would this protocol be vulnerable to a type attack?

Authentication in Practice

