

## Admin

Assignment 6

pre-pre enrollment

No office hours Friday

2

## Machine Learning is...

Machine learning, a branch of artificial intelligence, concerns the construction and study of systems that can learn from data.



## Machine Learning is...

Machine learning is programming computers to optimize a performance criterion using example data or past experience.

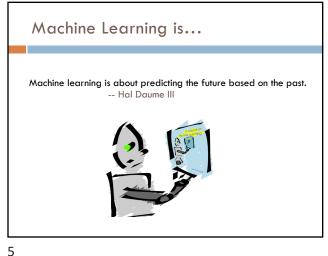
-- Ethem Alpaydin

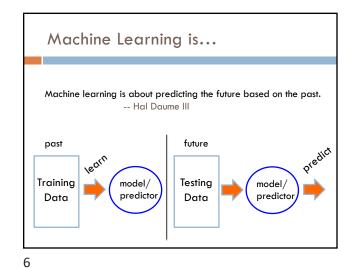
The goal of machine learning is to develop methods that can automatically detect patterns in data, and then to use the uncovered patterns to predict future data or other outcomes of interest.

-- Kevin P. Murphy

The field of pattern recognition is concerned with the automatic discovery of regularities in data through the use of computer algorithms and with the use of these regularities to take actions.

-- Christopher M. Bishop



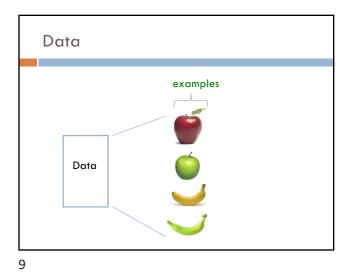


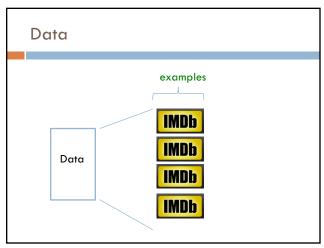
Why machine learning? Lot's of data Hand-written rules just don't do it Performance can be much better than what people can do Why not just study machine learning? □ Domain knowledge/expertise is still very important ■ What types of features to use ■ What models are important

Machine learning problems What high-level machine learning problems and algorithms have you seen or heard of before?

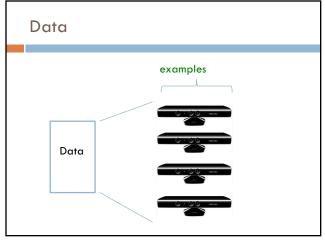
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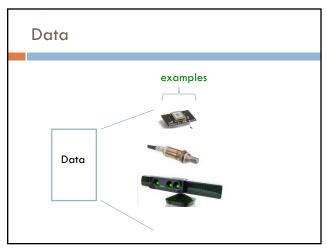
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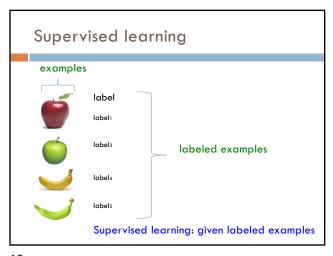


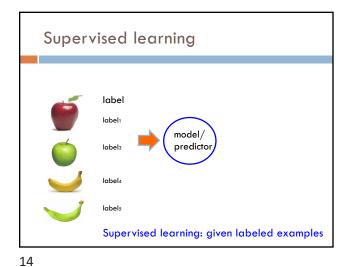
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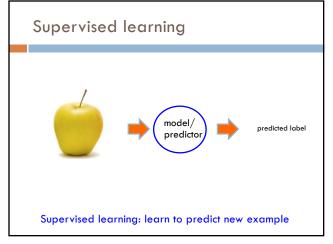


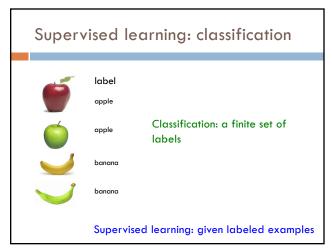


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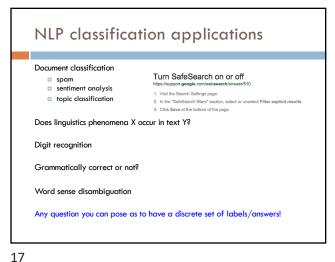


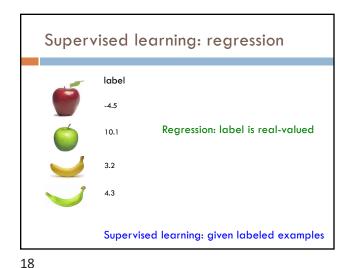


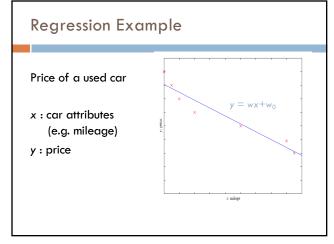


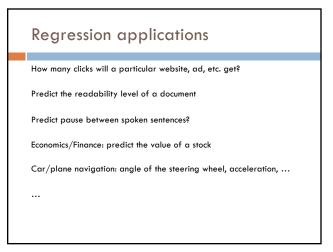


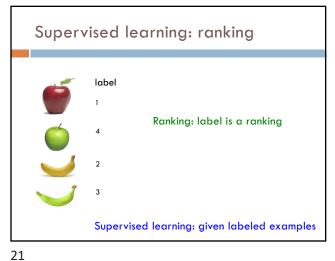
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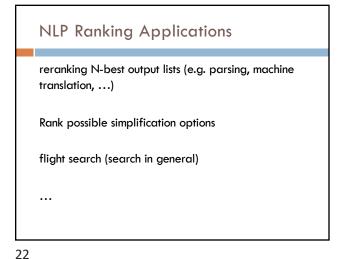


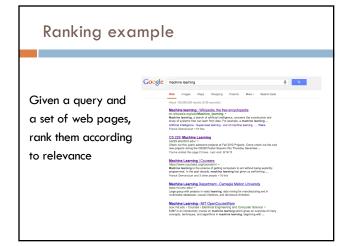


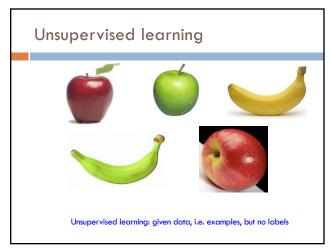


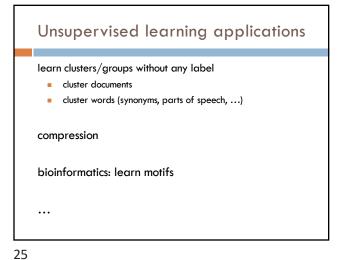


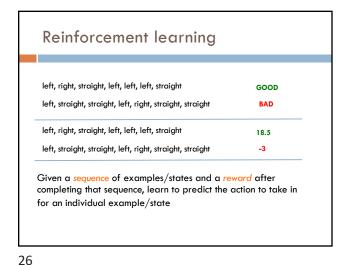


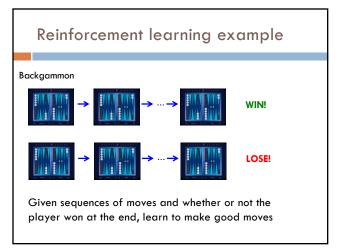






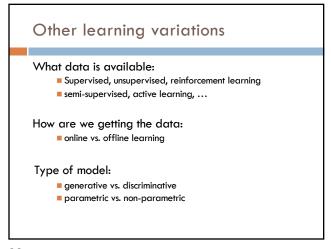


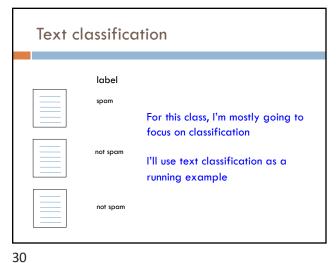


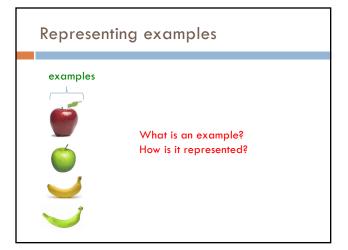


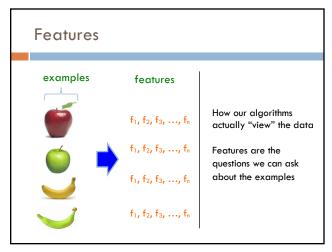
Reinforcement learning example https://www.youtube.com/watch?v=tXIM99xPQC8

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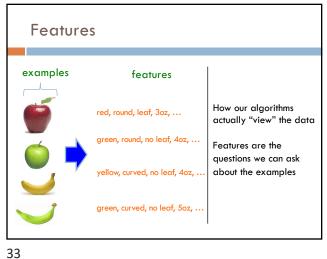


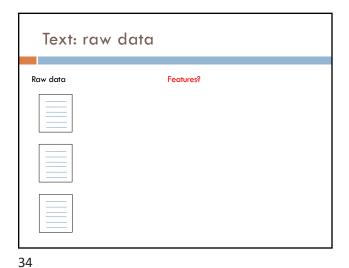


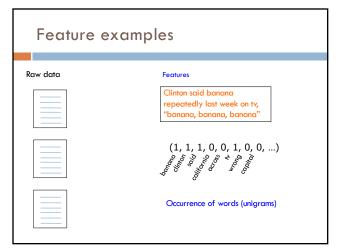


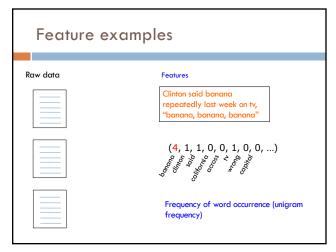


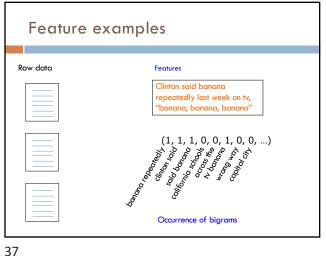
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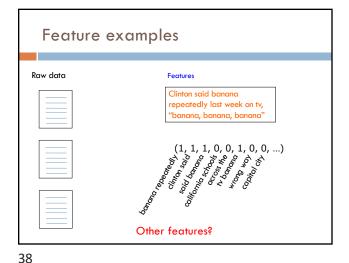


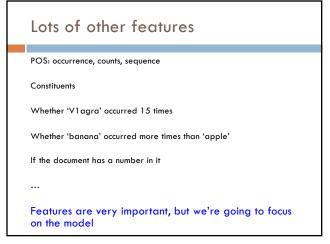


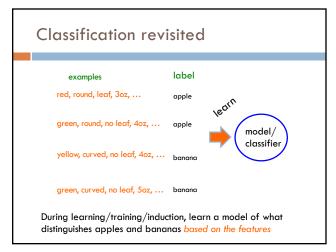


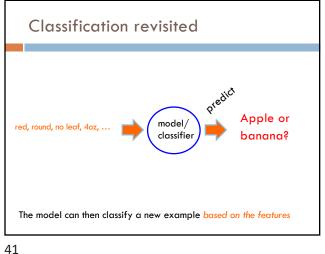


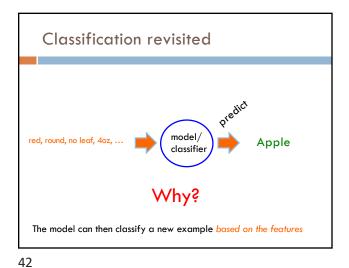


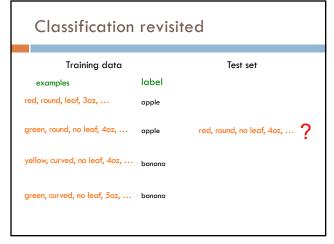


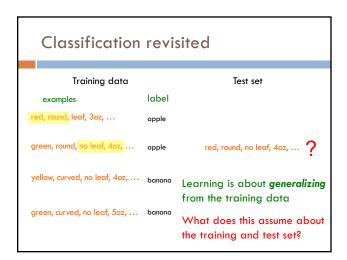


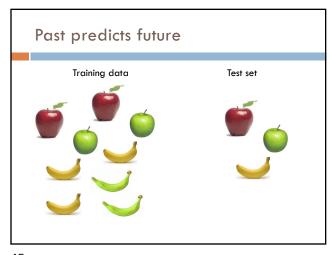


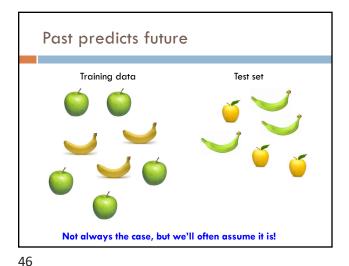


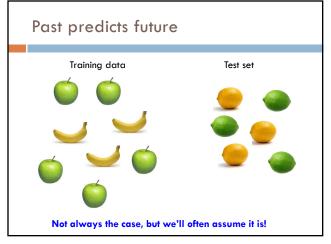












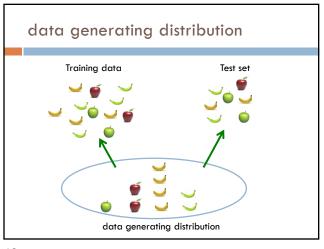
More technically...

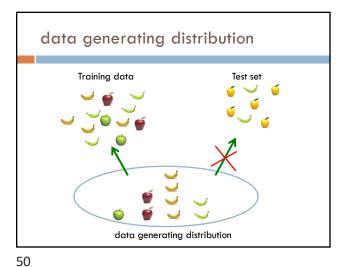
We are going to use the probabilistic model of learning

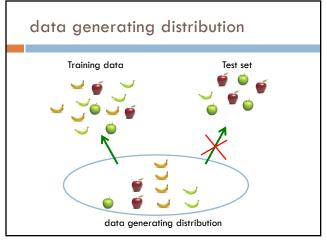
There is some probability distribution over example/label pairs called the data generating distribution

Both the training data and the test set are generated based on this distribution

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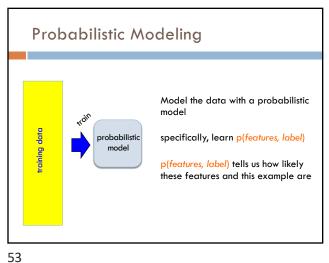


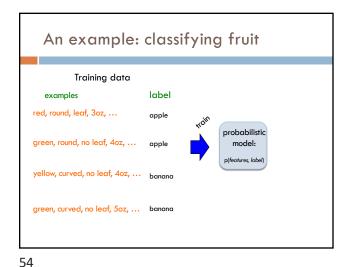


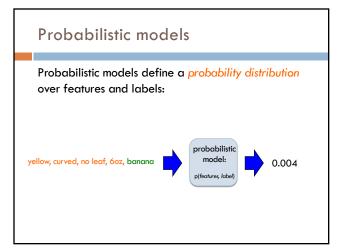


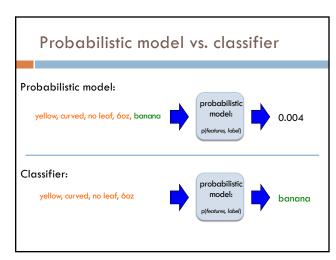
# Now that you know more about NLP, anything left that you'd like to know more about? Summer plans? Write the name of someone in the class that has their birthday later in the year than you?

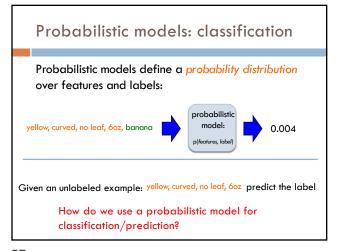
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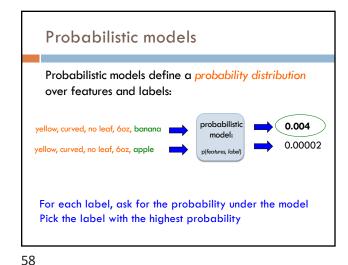












# Probabilistic model: yellow, curved, no leaf, 6oz, banana probabilistic model: p(features, label) probabilistic model: p(features, label) probabilistic model: p(features, label) probabilistic model: p(features, label) why probabilistic models?

Probabilistic models

Probabilities are nice to work with

range between 0 and 1
can combine them in a well understood way
lots of mathematical background/theory

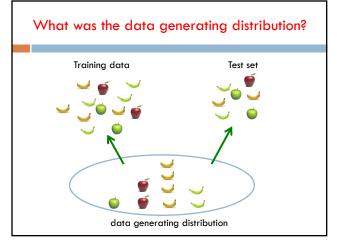
Provide a strong, well-founded groundwork
Allow us to make clear decisions about things like smoothing
Tend to be much less "heuristic"
Models have very clear meanings

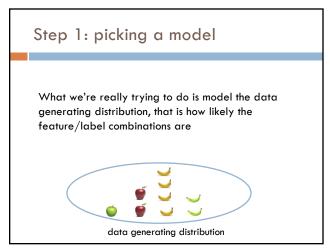
## Probabilistic models: big questions

- Which model do we use, i.e. how do we calculate p(feature, label)?
- 2. How do train the model, i.e. how to we we estimate the probabilities for the model?
- 3. How do we deal with overfitting (i.e. smoothing)?

# Basic steps for probabilistic modeling Probabilistic models Which model do we use, i.e. how do we calculate p(feature, label)? Step 2: figure out how to estimate the probabilities for the model Step 3 (optional): deal with overfitting Probabilistic models Which model do we use, i.e. how do we calculate p(feature, label)? How do train the model, i.e. how to we we estimate the probabilities for the model? How do we deal with overfitting?

61 62





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Some math

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 $p(features, label) = p(x_1, x_2, ..., x_m, y)$  $= p(y)p(x_1, x_2, ..., x_m | y)$ 

What rule?

Some math  $p(features, label) = p(x_1, x_2, ..., x_m, y)$   $= p(y)p(x_1, x_2, ..., x_m | y)$   $= p(y)p(x_1 | y)p(x_2, ..., x_m | y, x_1)$   $= p(y)p(x_1 | y)p(x_2 | y, x_1)p(x_3, ..., x_m | y, x_1, x_2)$   $= p(y)\prod_{j=1}^{m} p(x_i | y, x_1, ..., x_{i-1})$ 

Step 1: pick a model

 $p(features, label) = p(y) \prod_{i=1}^{m} p(x_i | y, x_1, ..., x_{i-1})$ 

So, far we have made NO assumptions about the data

 $p(x_m | y, x_1, x_2, ..., x_{m-1})$ 

How many entries would the probability distribution table have if we tried to represent all possible values and we had 7000 binary features? Full distribution tables

66

 x1
 x2
 x3
 ...
 y
 p()

 0
 0
 0
 ...
 0
 \*

 0
 0
 0
 ...
 1
 \*

 1
 0
 0
 ...
 1
 \*

 0
 1
 0
 ...
 0
 \*

 0
 1
 0
 ...
 1
 \*

 ...
 ...
 ...
 ...
 ...

All possible combination of features!

Table size:  $2^{7000} = ?$ 

67 68



1211696755662202012646665085478377095191112430343743256239982084151527023162702352987080237879
4440004651994010999530984538625557897246513204107022110233546458647343188522707659973340842842
7224200122818782607297319621704319448462721864027101502354645864734188522707659973340842842
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229795838048883548334874441388004948904984894881813253828163113463273

Any problems with this?

How are we supposed to learn/estimate each entry in the table?

70

## Step 1: pick a model

$$p(features, label) = p(y) \prod_{i=1}^{m} p(x_i | y, x_1, ..., x_{i-1})$$

So, far we have made NO assumptions about the data

Model selection involves making assumptions about the data

We've done this before, n-gram language model, parsing, etc.

These assumptions allow us to represent the data more compactly and to estimate the parameters of the model

## Naïve Bayes assumption

$$p(features, label) = p(y) \prod_{i=1}^{m} p(x_i | y, x_1, ..., x_{i-1})$$

$$p(x_i | y, x_1, x_2, ..., x_{i-1}) = p(x_i | y)$$

What does this assume?

## Naïve Bayes assumption

$$p(features, label) = p(y) \prod_{j=1}^{m} p(x_i \mid y, x_1, ..., x_{i-1})$$

$$p(x_i | y, x_1, x_2, ..., x_{i-1}) = p(x_i | y)$$

Assumes feature i is independent of the the other features given the label

Is this true for text, say, with unigram features?

## Naïve Bayes assumption

$$p(x_i | y, x_1, x_2, ..., x_{i-1}) = p(x_i | y)$$

For most applications, this is not true!

For example, the fact that "San" occurs will probably make it more likely that "Francisco" occurs

However, this is often a reasonable approximation:

$$p(x_i \mid y, x_1, x_2, ..., x_{i-1}) \approx p(x_i \mid y)$$