

Admin
Assignment 7
Grading update
Friday mentor hours: 6-8pm
2









Improvements

Posting slides at the start of class.

I like to start the assignments as early as Monday night. I would love it if we had mentor sessions on Saturday as well. Or definitely both on Thursdays and Fridays the least, because Sunday is not enough if we are too far away from being done.

More mentor sessions :/ Not likely though. Maybe just three total would be awesome.

Releasing the assignments at the same time every week would help.

Improvements

Give the big picture - how everything we are leading connects? the life cycle of ML project maybe?

I wished we went deeper in the math side of things. I think implementing ML algorithms is fun and cool, so don't change that!

Improvements

Post the autograder score before we are done with the assignment. For several of these, we see our results, and they look good, but we don't know for sure if it's correct or not, so in a lot of cases we lose points on edge cases that we could've solved had we known they were problematic.

Other comments

We lost points on the first three assignments to JavaDocs for other stylistic reasons, but we hadn't gotten our scores for the first assignment until after we had turned in the third assignment, so we didn't know we were supposed to do the JavaDocs and got dinged three times for it.

10





11























Training revisited

What we're really doing during training is selecting the Θ that maximizes:

 $p(\theta \mid data)$

i.e.

 $\theta = \operatorname{argmax}_{\theta} p(\theta | data)$

That is, we pick the most likely model parameters given the data

Estimating revisited

We want to incorporate a prior belief of what the probabilities might be

To do this, we need to break down our probability

 $p(\theta \mid data) = ?$

(Hint: Bayes rule)

25







28























$p(x_i y) = \frac{count(x_i, y) + \lambda}{count(y) + possible_values_of_x_i^* \lambda} \qquad \lambda = 1$					
x 1	X 2	label			
1	1	1	$p(x_1 = 1 1)$	4/5	
1	0	1	$p(x_1 = 0 1)$	1/5	
1	1	1	$p(x_2 = 1 1)$	3/5	
0	1	-1	p(x2 = 0 1)	2/5	
0	0	-1			

Priors

38

Coin1 data: 3 Heads and 1 Tail

Coin3 data: 2 Tails

Coin2 data: 30 Heads and 10 tails

Coin4 data: 497 Heads and 503 tails

 $p(heads) = \frac{count(heads) + \lambda}{totalflips + 2\lambda}$

Does this do the right thing in these cases?





42

Joint models vs conditional models

We've been trying to model the joint distribution (i.e. the data generating distribution):

$$p(x_1, x_2, ..., x_m, y)$$

However, if all we're interested in is classification, why not directly model the conditional distribution:

$$p(y | x_1, x_2, ..., x_m)$$



 $p(y | x_1, x_2, ..., x_m) = x_1 w_1 + w_2 x_2 + ... + w_m x_m + b$

Any problems with this?

- Nothing constrains it to be a probability - Could still have combination of features and
- weight that exceeds 1 or is below 0

43

















Logistic regression

How would we classify examples once we had a trained model?

 $\log \frac{P(1 \mid x_1, x_2, \dots, x_m)}{1 - P(1 \mid x_1, x_2, \dots, x_m)} = w_1 x_2 + w_2 x_2 + \dots + w_m x_m + b$

If the sum >0 then p(1)/p(0)>1, so positive

if the sum <0 then p(1)/p(0) < 1 , so negative

Still a linear classifier (decision boundary is a line)

53







linear classifier

conditional model

minimizing logistic loss

logistic

linear model



57





logistic regression: three views

 $\log \frac{P(1 \mid x_1, x_2, \dots, x_m)}{1 - P(1 \mid x_1, x_2, \dots, x_m)} = w_0 + w_1 x_2 + w_2 x_2 + \dots + w_m x_m$

 $P(1 \mid x_1, x_2, ..., x_m) = \frac{1}{1 + e^{-(w_0 + w_1 x_2 + w_2 x_2 + ... + w_m x_m)}}$

 $\operatorname{argmin}_{w,b} \sum_{i=1}^{n} \log(1 + e^{-y_i(w_1 x_2 + w_2 x_2 + \dots + w_m x_m + b)})$

58

































Multiple linear regression We can still calculate the squared error like before $h(\bar{f}) = w_0 + w_1 f_1 + w_2 f_2 + ... + w_m f_m$ $error(h) = \sum_{i=1}^{n} (y_i - (w_0 + w_1 f_1 + w_2 f_2 + ... + w_m f_m))^2$ Still can solve this exactly!







