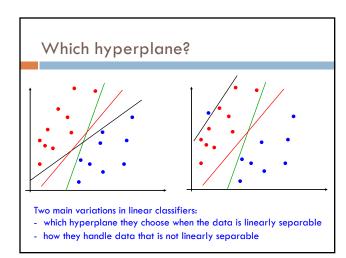
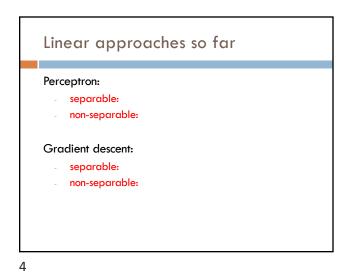


Admin				
Assignment 5 Experiments				
Assignment 6: due Tuesday (3/1)				
Next class: Meet in Edmunds 105				
Midterm: out and due by the end of the day Friday				
Course feedback Thanks! We'll go over it at the beginning of next class				





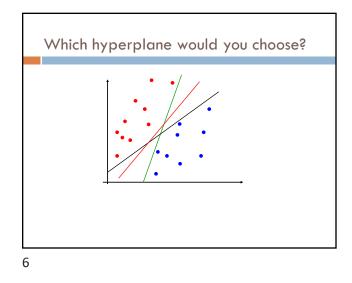
Linear approaches so far

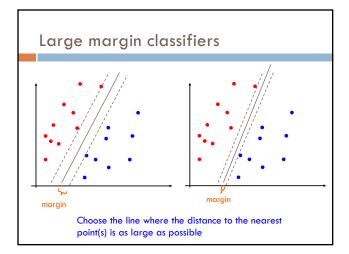
Perceptron:

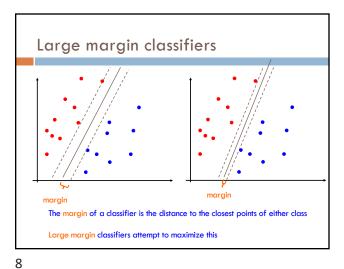
- separable:
- finds some hyperplane that separates the data
- non-separable:
- will continue to adjust as it iterates through the examples
- final hyperplane will depend on which examples it saw recently

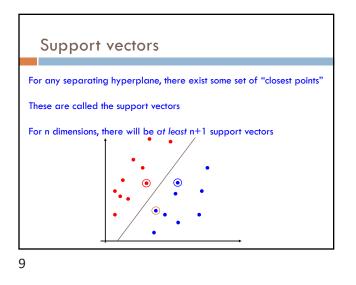
Gradient descent:

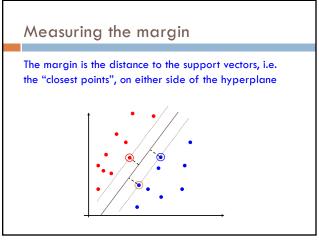
- separable and non-separable
- finds the hyperplane that minimizes the objective function (loss + regularization)
- Which hyperplane is this?

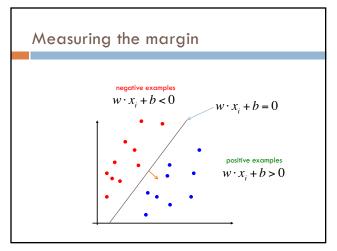


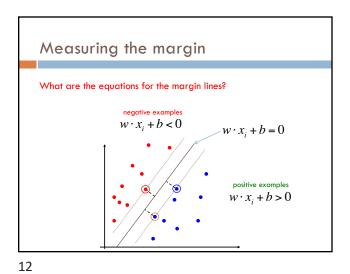


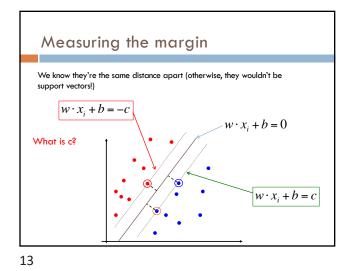


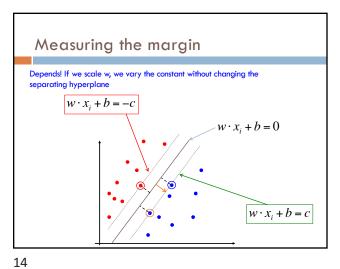


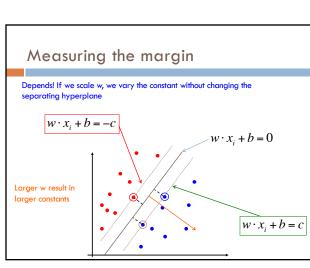


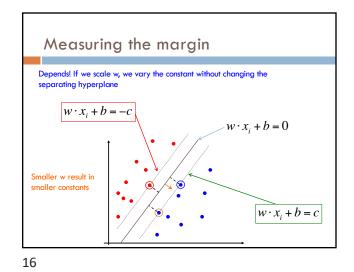


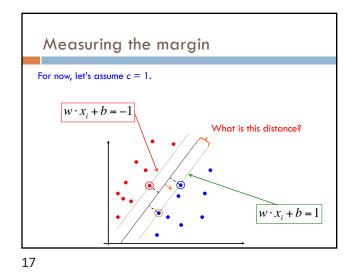


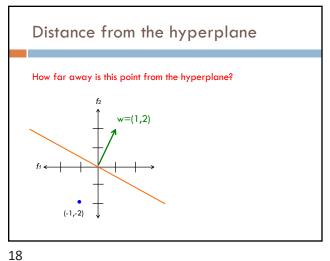


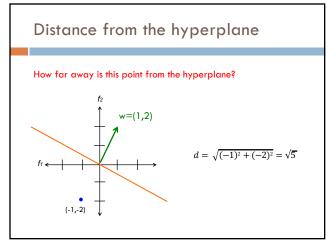


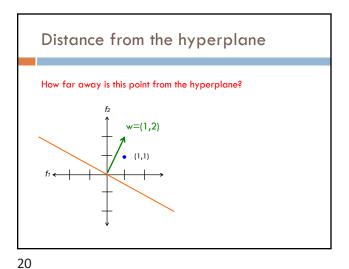


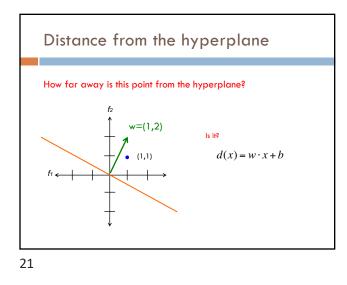


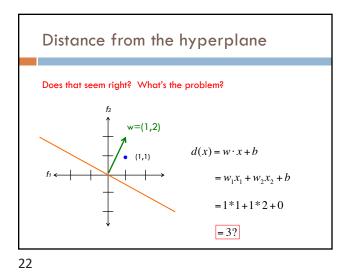


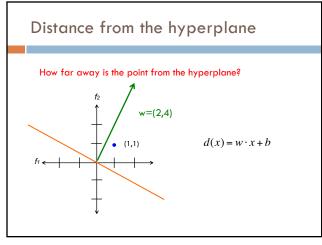


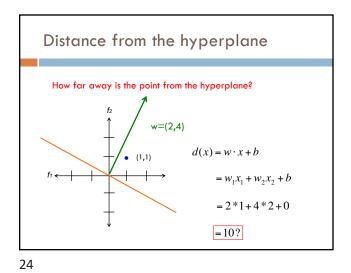


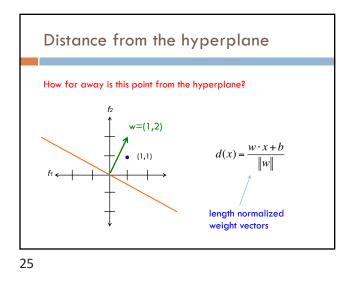


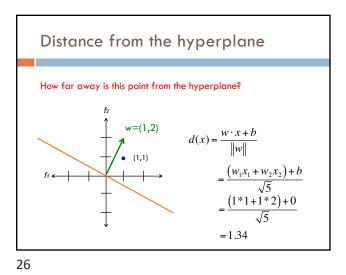


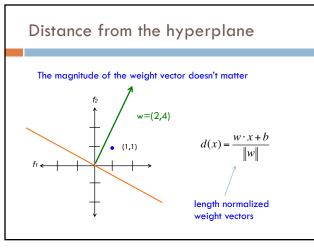


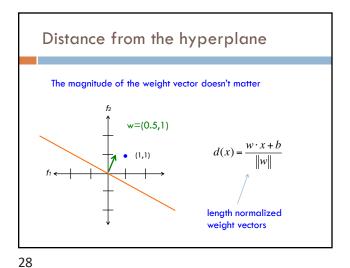


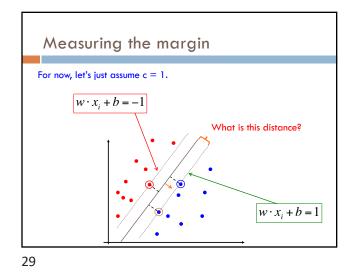


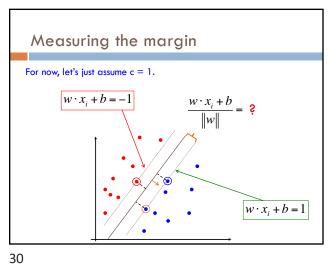


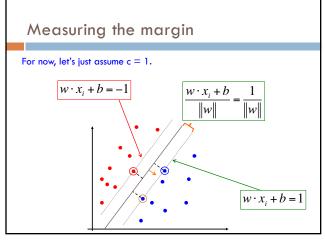




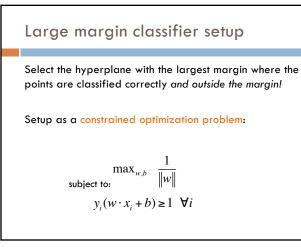


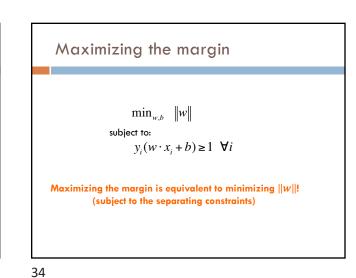


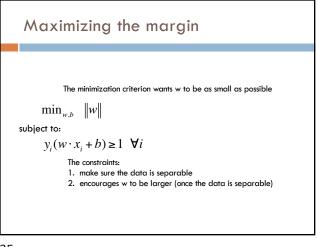


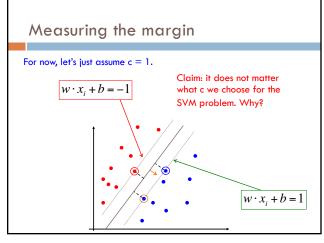


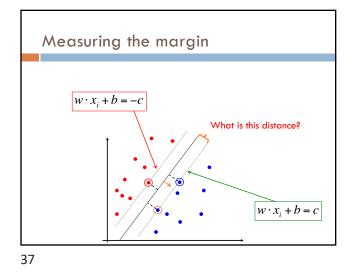
Large margin classifier setup					
Select the hyperplane with the largest margin where the points are classified correctly and outside the margin!					
Setup as a constrained optimization problem:					
$\max_{w,b} \ \operatorname{margin}(w,b)$ subject to: $y_i(w \cdot x_i + b) \ge 1 \ \forall i \qquad \text{what does this say?}$					

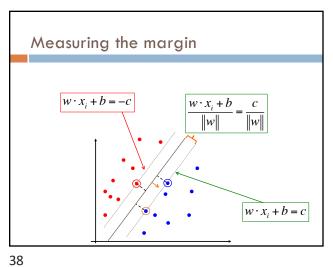


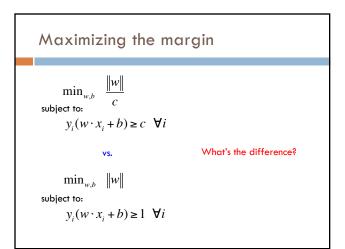


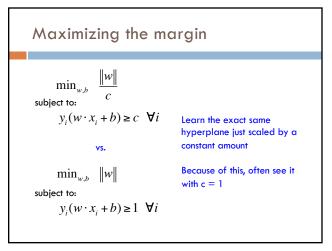




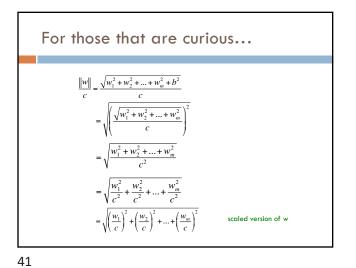


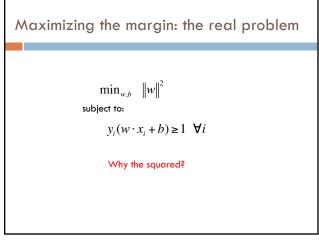


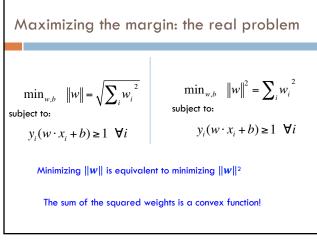


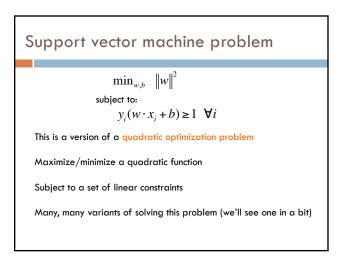


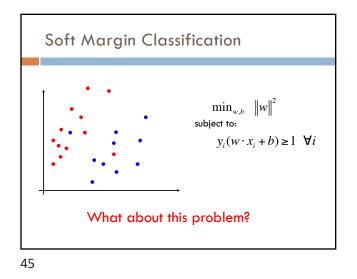


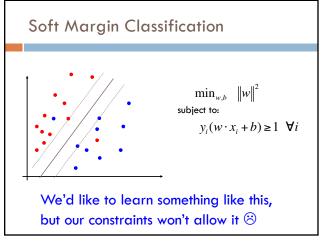




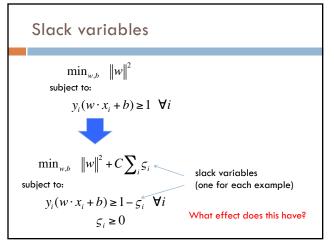


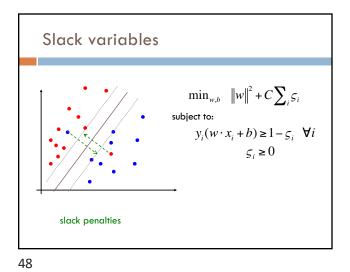




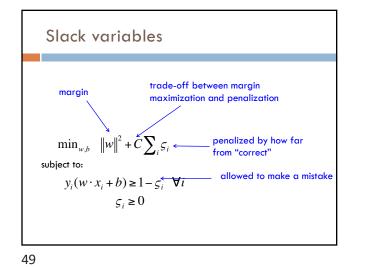


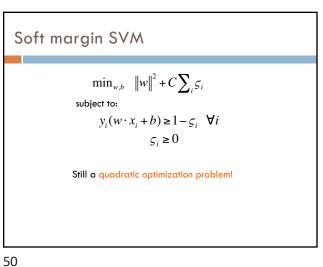


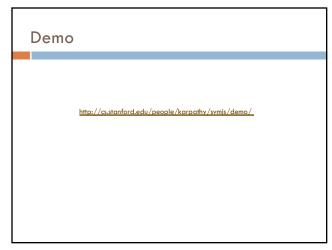


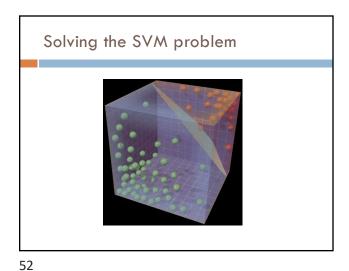


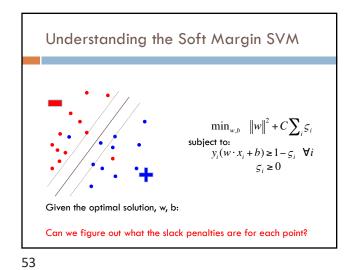


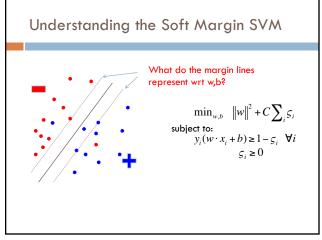


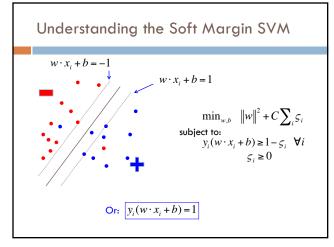


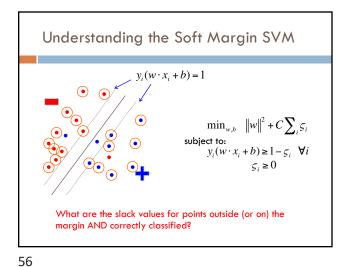


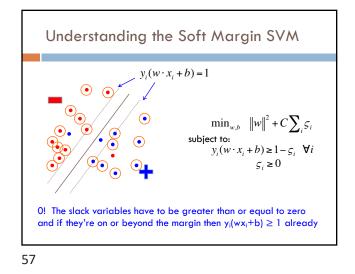


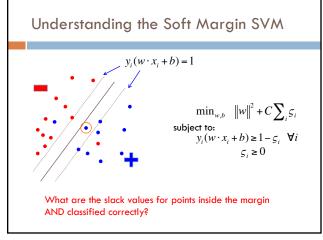


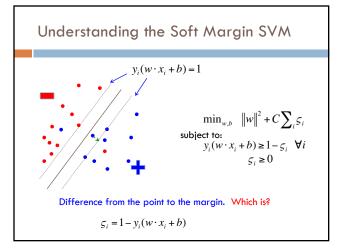


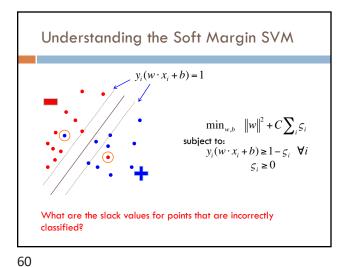


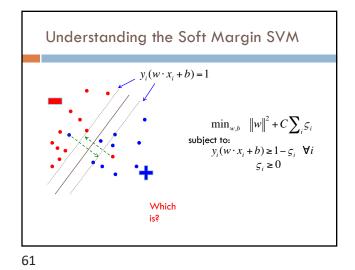


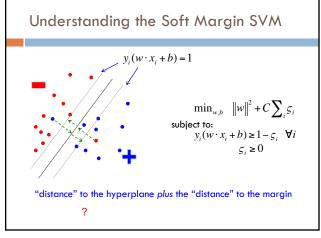




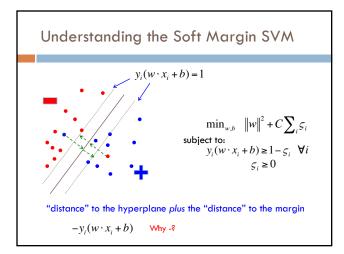


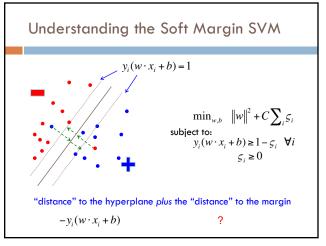




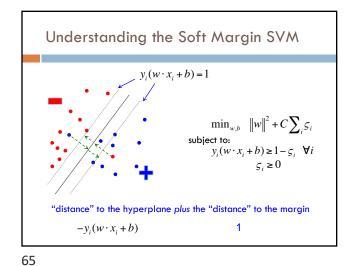


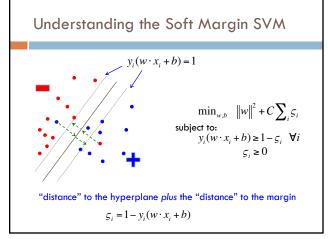




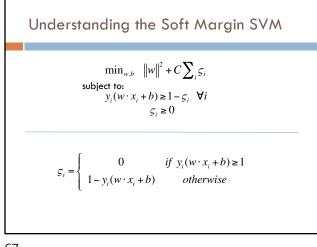


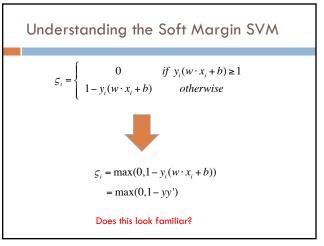


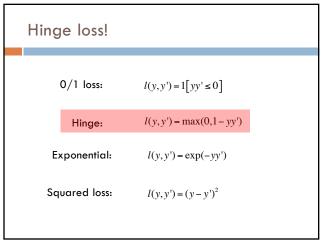




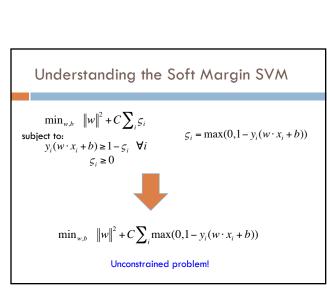


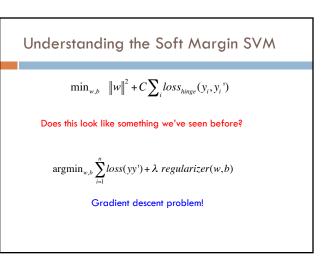












Understanding the Soft Margin SVM

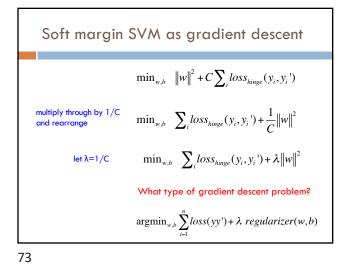
Do we need the constraints still?

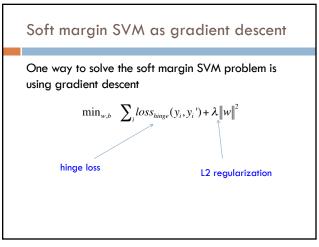
 $\varsigma_i = \max(0, 1 - y_i(w \cdot x_i + b))$

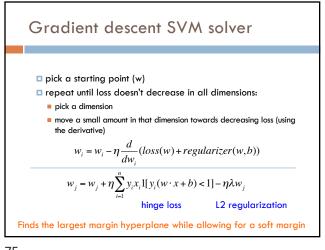
$$\begin{split} \min_{\boldsymbol{w},\boldsymbol{b}} & \left\|\boldsymbol{w}\right\|^2 + C \sum_i \boldsymbol{\varsigma}_i \\ \text{subject to:} & \\ y_i(\boldsymbol{w} \cdot \boldsymbol{x}_i + \boldsymbol{b}) \geq 1 - \boldsymbol{\varsigma}_i & \forall i \\ & \boldsymbol{\varsigma}_i \geq 0 \end{split}$$

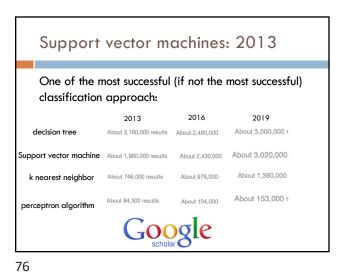
72

70









Support vector machines: 2013								
One of the most successful (if not the most successful) classification approach:								
	2013	2016	2019	2022				
decision tree	About 2,160,000 n	About 2,480,000	About 3,000,000 r	About 3,070,000 i				
Support vector machine	About 1,960,000	About 2,430,000	About 3,020,000	About 3,250,000				
k nearest neighbor	About 746,000	About 979,000	About 1,380,000	About 2,260,000 ı				
perceptron algorithm	About 84,300	About 104,000	About 153,000 r	About 230,000				
Google								

