Lecture 2: Compilers, Theory, & PL's

CSC 131 Fall, 2012

Kim Bruce

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TA Hours

- Pomona:
 - Richard: Wednesday 8 to 10 p.m in main lab
- HMC Hot Air balloon lab: Beckman B 105:
 - Bridgette: Wednesday 8-10 p.m.
 - Jake: Thursday 8:30 10:30 p.m.

First Homework Due Thursday!

Finish Grace

Sample Programs

• <u>ComplexNumbers</u>

Avoid Hoare's "Billion Dollar Mistake"

- No built-in null
- Accessing uninitialized variable is error
- Replace **null** by:
 - sentinel objects, or
 - error actions

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Sentinel Objects

A real object, tailored for the situation, e.g.:

```
def emptyList = object {
    method asString {"<emptyList>"}
    method do(action) {}
    method map(function) {self}
    method size {0}
}

name for object
being defined
```

Sentinel Objects

Simplifies code, eliminates testing for null

Error Actions

• Grace encourages the use of blocks to specify error actions or default values:

```
var x := table.at(key)ifAbsent{
          return unknown(key)
}
```

o

Other Features ...

- Pattern matching (like Haskell/ML)
- Dialects for easy customization

Grace Details

- No parens needed w/parameterless methods
- No parens if parameter bounded by "" or {}
- Must insert parens for most precedence
- Use blocks for code evaluated variable number of times
- import "file" as libname
 - provides usage of libname as an object w/all defs from library.
 - See mgcollections use

Theory Matters!

Theory, Dynamic Execution, & Static Checking

- Program, when started w/ input can:
 - Terminate normally.
 - Terminate w/ error message
 - Run forever
- Effect of program:
 - partial function f: string \rightarrow string \cup {error}
 - Ex: g(x) = if odd(x) then 1 else g(x-1) + g(x-2)

Computable Functions

- f is computable iff exists program computing it.
- Church-Turing thesis:
 Computability independent of particular formal model
 - Church-Kleene used lambda calculus
 - Turing used Turing machines
 - Godel-Kleene used partial recursive functions
 - ...

Halting Problem

- Is there is a program that will determine for any other program whether or not it will halt?
- More precisely:
 - Is there a program that when provided with another program and its input, will determine correctly 100% of the time whether or not the given program will halt on its input? (In particular, this program always halts telling me yes or no.)

Halting Problem

- Proved undecidable i.e., no algo to solve it.
- Other undecidable problems:
 - Will program eventually divide by o?
 - Will program eventually dereference a null pointer?
 - Will program touch a particular piece of memory?
 - Will program ever print out o?

Totally Ridiculous!

- Could we have a language in which all programs halt, and yet get all "total" computable functions?
- Yes take only total functions from favorite language make those only legal programs.
- Def: Say a language is *good* iff there is a program (e.g., parser or type-checker) that effectively determines for each candidate program whether or not it is legal.

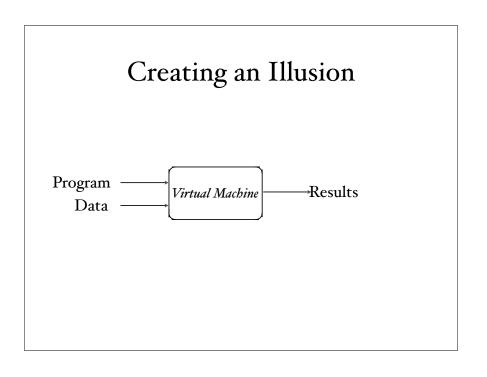
Virtual Machines

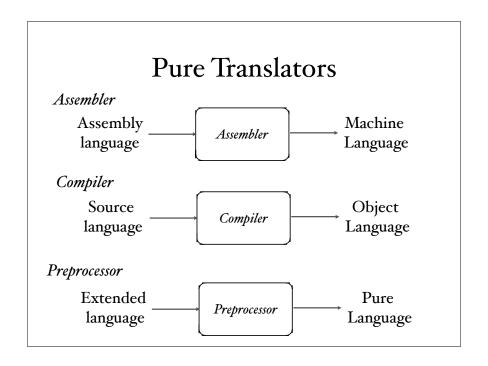
Abandon All Hope

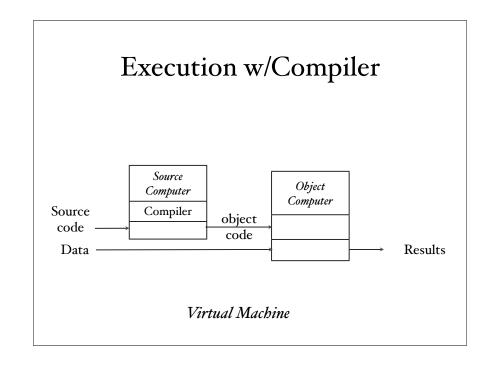
- **Theorem**: Let L be a "good" language in which all programs halt for all input. Then there is an effectively computable total function that is not expressible in the language.
- No hope of finding a language with a typechecker which identifies all and only total effectively computable programs.

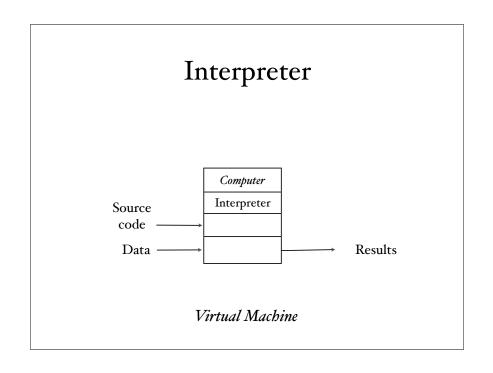
Abstraction

- *Dijkstra*: Originally we were obligated to write programs so that a computer could execute them. Now we write the programs and the computer has the obligation to understand and execute them.
- Progress in PL design marked by increasing support for abstraction.
- What are data types and how to construct new?
- What are ops and how do we construct new?









Virtual Machine of Language

- Virtual machine defined by language
- Machine language is set of instructions supported by language
- Layers of VM's
 - bare Intel Chip \Rightarrow Mac OS \Rightarrow Java \Rightarrow Application
- Describe language by VM it defines

VM Problems

- How ensure different implementations give same semantics?
- Sometimes VM's are explicit
 - Pascal P-code & P-machine
 - Modula-2 M-code
 - Java VM & JVML

VM of Language

• Problems:

- Different implementors may have different conceptions of virtual machine
- Different computers may provide different facilities and operations
- Implementors may make different choices as to how to simulate elements of virtual computer
- May lead to different semantics, even on same computer.

More Detail: Interpreters

• Simulate virtual machine:

REPEAT

Get next statement

Determine action(s) to be executed

Call routine to perform action

UNTIL done

More Detail: Compiler

- Translate from one VM to another
 - Translate all units of program into object code
 - Link into single relocatable machine code
 - Load into memory
 - Begin execution

Lack of Purity

- Rarely pure compiler or interpreter
 - Typically compile source into form easier to interpret.
 - Ex. Remove white space & comments, build symbol table, or parse each line and store in more compact form (e.g. tree)
- Java originally hybrid
 - Compile into JVML and then interpreted
 - Now compile to JVML & use just-in-time compiler on JVML

Compiler vs Interpreter

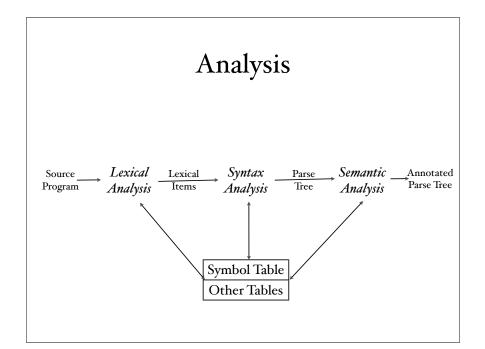
Compiler	Interpreter
Only translate each statement once	Translate only if executed.
Speed of execution	Error messages tied to source. More supportive environment. No longer as true
Only object code in memory when executing. May take more space because of expansion	Must have interpreter in memory while executing (though source may be more compact)

Compiler Structure

- Analysis:
 - Break into lexical items, build parse tree, annotate parse tree (e.g. via type checking)
- Synthesis:
 - generate simple intermediate code, optimization (look at instructions in context), code generation, linking and loading.

Symbol Table

- Symbol table:
 - Contains all id names,
 - kind of id (vble, array name, proc name, formal parameter),
 - type of value,
 - where visible, etc.



Annotated Parse Tree Inter. Code Inter. Code ation Code Generation Code Symbol Table Other Tables

Portable Compilers

- Separate front and back-ends that share same intermediate code (GNU compilers)
 - Write single front end for each language
 - Write single back end for each operating system architecture combination.
 - Mix and match to build complete compilers
- JVM starting to play that role too

Formal Syntax

Example

Formal Syntax

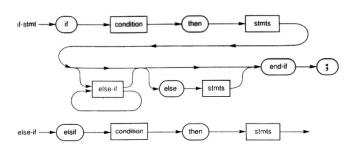
- Syntax:
 - Readable, writable, easy to translate, unambiguous, ...
- Formal Grammars:
 - Backus & Naur, Chomsky
 - First used in ALGOL 60 Report formal description
 - Generative description of language.
- Language is set of strings. (E.g. all legal C++ programs)

Extended BNF

- Extended BNF handy:
 - item enclosed in square brackets is optional
 - <conditional> ⇒ if <expression> then <statement> [else <statement>]
 - item enclosed in curly brackets means zero or more occurrences
 - <literal $> \Rightarrow <$ digit $> \{ <$ digit $> \}$

Syntax Diagrams

- Syntax diagrams alternative to BNF.
 - Syntax diagrams are never directly recursive, use "loops" instead.



Ambiguity

• How do you parse:

```
if (exp1)
    if (exp2)
       stat1;
else
    stat2;
```

Resolving Ambiguity

- Pascal, C, C++, and Java rule:
 - else attached to nearest then.
 - to get other form, use { ... }
- Modula-2 and Algol 68
 - No "{", only "}" (except write as "end")
- Not a problem in LISP/Racket/ML/Haskell conditional *expressions*
- Ambiguity in general is undecidable

Chomsky Hierarchy

- Chomsky developed mathematical theory of programming languages:
 - type o: recursively enumerable
 - type 1: context-sensitive
 - type 2: context-free
 - type 3: regular
- BNF = context-free, recognized by pda

Beyond Context-Free

- Not all aspects of PL's are context-free
 - Declare before use, goto target exist
- Formal description of syntax allows:
 - programmer to generate syntactically correct programs
 - parser to recognize syntactically correct programs
- Parser-generators: LEX, YACC, ANTLR, etc.
 - formal spec of syntax allows automatic creation of recognizers

Specifying Semantics: Lambda Calculus

Defining Functions

- In math and LISP:
 - f(n) = n * n
 - (define (f n) (* n n))
 - (define f (<u>lambda (n) (* n n)</u>))
- In lambda calculus
 - λn. n * n
 - $((\lambda n. n * n) 12) \Rightarrow 144$

Pure Lambda Calculus

- Terms of pure lambda calculus
 - M ::= v | (M M) | λv. M
 - Impure versions add constants, but not necessary!
 - Turing-complete
- Left associative: M N P = (M N) P.
- Computation based on substituting actual parameter for formal parameters

Free Variables

- Substitution easy to mess up!
- Def: If M is a term, then FV(M), the collection of free variables of M, is defined as follows:
 - $FV(x) = \{x\}$
 - $FV(M N) = FV(M) \cup FV(N)$
 - $FV(\lambda v. M) = FV(M) \{v\}$