

Lecture 29: Maps & Hashing

Fall 2016

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Midterm #2

- In class next Friday, 11-31
- Will cover material through parallelism
- Questions will focus on material since midterm #1:
 - Array representations of trees
 - Heaps & Heapsort
 - Binary search trees
 - Balanced binary search trees
 - Parallelism
 - Concurrency

Hackathon!

- Announcement near the end of class today.

Darwin Contest Results

Section 1

Student:	Survivors:	Percentage:
Dylan Keezell	60514 / 72800	83.1%
Julian DeGroot-Lutzner	42853 / 72800	58.9%
Rex Bodoia	35229 / 72800	48.4%

Honorable Mention:

Victor deFontnouvelle (47.5%), Brady DeMeritt (47.4%),
Wentao Guo (45.6%)

Darwin Contest Results

Section 2

Student:	Survivors:	Percentage:
Somtochukwu Uzoegwu	89798 / 108800	82.5%
Dominic Frempong	89348 / 108800	82.1%
Claire Genre	65386 / 108800	60.1%

Honorable mention:

Victor Machado (59.5%), Eberto Ruiz (58.3%), Brook Solomon (57.1%)

Maps

- Store and retrieve data based on a key.
 - Store phone numbers by name.
 - Store word pair frequencies by first word.
 - Store account info by user ID.
- At most one value per key (matches the mathematical concept).
- Also known as “dictionaries” or “hash tables.”

Interface

```
public interface Map<K,V> {  
    int size();  
    V get(Object key);  
    V put(K key, V value);  
    V remove(Object key);  
  
}
```

Interface

```
public interface Map<K,V> {  
    int size();  
    V get(Object key);  
    V put(K key, V value);  
    V remove(Object key);  
  
    boolean containsKey(Object key);  
    boolean containsValue(Object value);  
    Set<K> keySet();  
    Collection<V> values();  
}
```

Implementations

Data Structure	get	set	remove
list	$O(n)$	$O(1)$	$O(n)$
sorted list	$O(\log n)$	$O(n)$	$O(n)$
balanced BST	$O(\log n)$	$O(\log n)$	$O(\log n)$
array["key range"]	$O(1)$	$O(1)$	$O(1)$

<http://bigocheatsheet.com/>

Implementations

"Peter Mawhorter" → "pmawhorter"
"Kim Bruce" → "kim"

- What if keys aren't integers?
- What if we don't know the keys ahead of time?

~~fixed array~~

Can we do better than a balanced binary search tree?

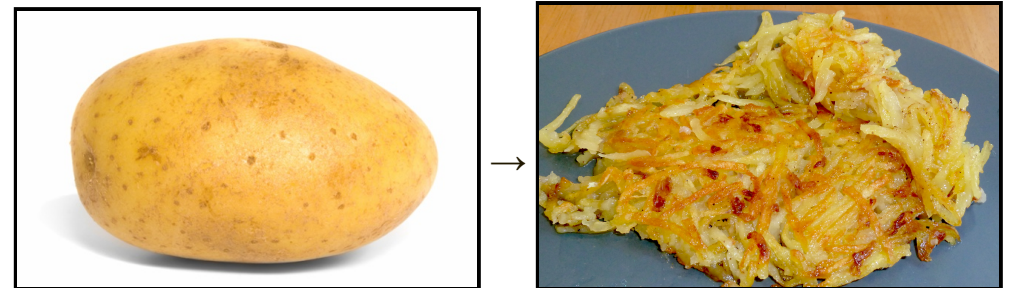
Problem

Goal: Array-like performance for all keys

Problems:

- Keys are not integers
(and there is no obvious way to convert them)
- Key range may be large or infinite
(and keys may be sparse)

Hashing



Perfect Hashing

```
int hash(Object o);
```

- Should be $O(1)$.
- Should return an integer.
- The integers for our N keys should be $0 \dots N-1$.
- Must be a unique integer for every object.
 - That is, it should be *bijective*.

Given `hash`, just use an array where:

```
items[H(key)] = value
```

Actual Hashing

- Unique integer for an object?
Its address in memory.
- Numbers in $0 \dots N-1$?
Take the modulus by N .

```
public int hash(Object o, int n) {  
    return addr(o) % n;  
}
```

Actual Hashing

```
public int hash(Object o, int n) {  
    return addr(o) % n;  
}
```

- ✓ Should be $O(1)$.
- ✓ Should return an integer.
- ✓ The integers for our N keys should be $0 \dots N-1$.
- ✗ Must be a unique integer for every object.
(true in the limit as $N \rightarrow \infty$)

Actual Hashing

```
public int hashCode() {  
    return addr(this);  
}
```

- Call `obj.hashCode` instead of `hash(obj)`
- Let each map object do the modulus (N is different)

Hashing and Equality

```
public class Point {  
    public int x, y;  
  
    public boolean equals(Object other) {  
        if (other instanceof Point) {  
            return (this.x == other.x  
                && this.y == other.y);  
        }  
        return false;  
    }  
  
    public int hashCode() { return addr(this); }  
}
```

Problems

- What to do when results aren't unique?
- What about objects with `.equals`?
- How can we get a good distribution of results?