## SEARCH

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## What is AI?



Next couple of weeks

## Solve the maze!



## Solve the maze!



## Solve the maze!



## Solve the maze!



How did you figure it out?

## One approach



What now?

## One approach



Three choices

## One approach



Pick one!
What now?

## One approach



## Still three options!

Which would you explore/pick?

## One approach



Most people go down a single path until they realize that it's wrono

## One approach



Keep exploring

## One approach



Keep exploring

## One approach



What now?

## One approach



Are we stuck?
No. Red positions are just possible options we haven't explored

## One approach



## One approach



Have to be careful and keep track of where we've been if we can loop

## One approach



Now what?

## One approach



Now what?

## One approach



## Search problems



What information do we need to figure out a solution?

## Search problems

Where to start

Where to finish (goal)

What the "world" (in this case a maze) looks like

- We'll define the world as a collection of discrete states
- States are connected if we can get from one state to another by taking a particular action
- This is called the "state space"


## State space example



## State space example


-•••

## State space example



For a given problem, still could have different state-spaces How many more states are there?

## State space example



## State space example



## State space example



## State space example



## State space example



## State space example



## State space example



## Search algorithm

Keep track of a list of states that we could visit, we'll call it "to_visit"

General idea:

- take a state off the to_visit list
- if it's the goal state
we're done!
- if it's not the goal state
- Add all of the next states to the to_visit list
- repeat

- if it's the goal state we're done!
- if it's not the goal state

Add all of the next states to the to_visit list

- repeat


Add start to to_visit

- if it's the goal state we're done!
- if it's not the goal state

Add all of the next states to the to_visit list

- repeat

- if it's the goal state we're done!
- if it's not the goal state

Add all of the next states to the to_visit list

- repeat

- if it's the goal state

$$
\begin{gathered}
\text { to_visit } \\
\hline 2 \\
3 \\
4
\end{gathered}
$$

we're done!

- if it's not the goal state

Add all of the next states to the to_visit list

- repeat

- if it's the goal state

| to_visit |
| :---: |
| 3 <br> 4 | we're done!

- if it's not the goal state

Add all of the next states to the to_visit list

- repeat

$\frac{\text { to_visit }}{3} \begin{gathered}3 \\ 4\end{gathered}$

- take a state off the to_visit list - if it's the goal state we're done!
- if it's not the goal state

Add all of the next states to the to_visit list

- repeat

$\frac{\text { to_visit }}{3} \begin{gathered}3 \\ 4\end{gathered}$
- take a state off the to_visit list
- if it's the goal state we're done!
- if it's not the goal state

Add all of the next states to the to_visit list

- repeat

list keeps track of where to go next, i.e. the states we know about but haven't explored

- if it's the goal state
- if it's not the goal state

Add all of the next states to the to_visit list

- repeat


| to_visit |
| :---: |
| 5 |
| 6 |
| 4 |

- take a state off the to_visit list - if it's the goal state we're done!
- if it's not the goal state


- if it's the goal state

$$
\begin{gathered}
\text { to_visit } \\
\hline 6 \\
4
\end{gathered}
$$

## we're done!

- if it's not the goal state Add all of the next states to the to_visit list
- repeat

- take a state off the to viisit list
$\frac{\text { to_visit }}{4}$
- if it's the goal state we're done!
- if it's not the goal state Add all of the next states to the to_visit list
- repeat

- take a state off the to_visit list
- if it's the goal state



## to_visit 4

 we're done!- if it's not the goal state Add all of the next states to the to_visit list
- repeat
- take a state off the to_visit list
- if it's the goal state
we're done!
- if it's not the goal state

Add all of the next states to the to_visit list

- repeat

$$
\frac{\text { to_visit }}{4}
$$

How was the to_visit list organized in this example, i.e., what order?
It's a stack!!! (LIFO)

- take a state off the to viisit list

$$
\frac{\text { to_visit }}{4}
$$

- if it's the goal state
we're done!
- if it's not the goal state Add all of the next states to the to_visit list
- repeat

What would happen if we used a queue?

## Search algorithms

add the start state to to_visit

Repeat

- take a state off the to_visit list
- if it's the goal state
- we're done!
- if it's not the goal state
- Add all of the next states to the to_visit list


## Search algorithms

## add the start state to to_visit

## Repeat

- take a state off the to_visit list
- if it's the goal state
- we're done!
- if it's not the goal state
- Add all of the next states to the to_visit list

Depth first search (DFS): to_visit is a stack Breadth first search (BFS): to_visit is a queue

## What order will BFS and DFS visit the states assuming states are added to to_visit left to right?

add the start state to to_visit

## Repeat

- take a state off the to_visit list
- if it's the goal state
- we're done!
- if it's not the goal state
- Add all of the successive states to the to_visit list

Depth first search (DFS): to_visit is a stack
 Breadth first search (BFS): to_visit is a queue

What order will BFS and DFS visit the states?

$$
\text { DFS: } 1,4,3,8,7,6,9,2,5
$$

Why not 1, 2, 5 ?


Depth first search (DFS): to_visit is a stack Breadth first search (BFS): to_visit is a queue

## What order will BFS and DFS visit the

 states?
## DFS: $1,4,3,8,7,6,9,2,5$



Depth first search (DFS): to_visit is a stack Breadth first search (BFS): to_visit is a queue

## What order will BFS and DFS visit the

 states?DFS: $1,4,3,8,7,6,9,2,5$
Depth first search (DFS): to_visit is a stack Breadth first search (BFS): to_visit is a queue

## What order will BFS and DFS visit the

 states?$$
\text { DFS: } 1,4,3,8,7,6,9,2,5
$$

| 3 |
| :--- |
| 2 |
| STACK |

Depth first search (DFS): to_visit is a stack Breadth first search (BFS): to_visit is a queue

## What order will BFS and DFS visit the

 states?$$
\begin{aligned}
& \text { DFS: } 1,4,3,8,7,6,9,2,5 \\
& \text { BFS:1, 2, 3, 4, } \\
& \text { Depth first search (DFS): to_visit is a stack }
\end{aligned}
$$ Breadth first search (BFS): to_visit is a queue

## Search variants implemented

add the start state to to_visit

## Repeat

- take a state off the to_visit list
- if it's the goal state
- we're done!
- if it's not the goal state
- Add all of the successive states to the to_visit list

```
def dfs(start_state):
    s = Stack()
    return search(start_state, s)
def bfs(start_state):
    q = Queue()
    return search(start_state, q)
def search(start_state, to_visit):
    to_visit.add(start_state)
    while not to_visit.is_empty():
        current = to_visit.remove()
        if current.is_goal():
            return current
        else:
            for s in current.next_states():
                        to_visit.add(s)
```

return None

## What order would this variant visit the

 states?
## def search(state):

if state.is_goal():
return state
else:
for s in state.next_states(): result $=$ search(s)
if result != None: return result
return None
$1,2,5$


## What order would this variant visit the

 states?```
def search(state):
```

    if state.is_goal():
            return state
        else:
            for s in state.next_states():
                result \(=\) search(s)
                if result != None:
                return result
            return None
                \(1,2,5,3,6,9,7,8\)
    

What search algorithm is this?

## What order would this variant visit the

 states?def search(state):
if state.is_goal():
return state
else:
for s in state.next_states(): result $=$ search(s)
if result != None: return result
return None
$1,2,5,3,6,9,7,8$


DFS!

